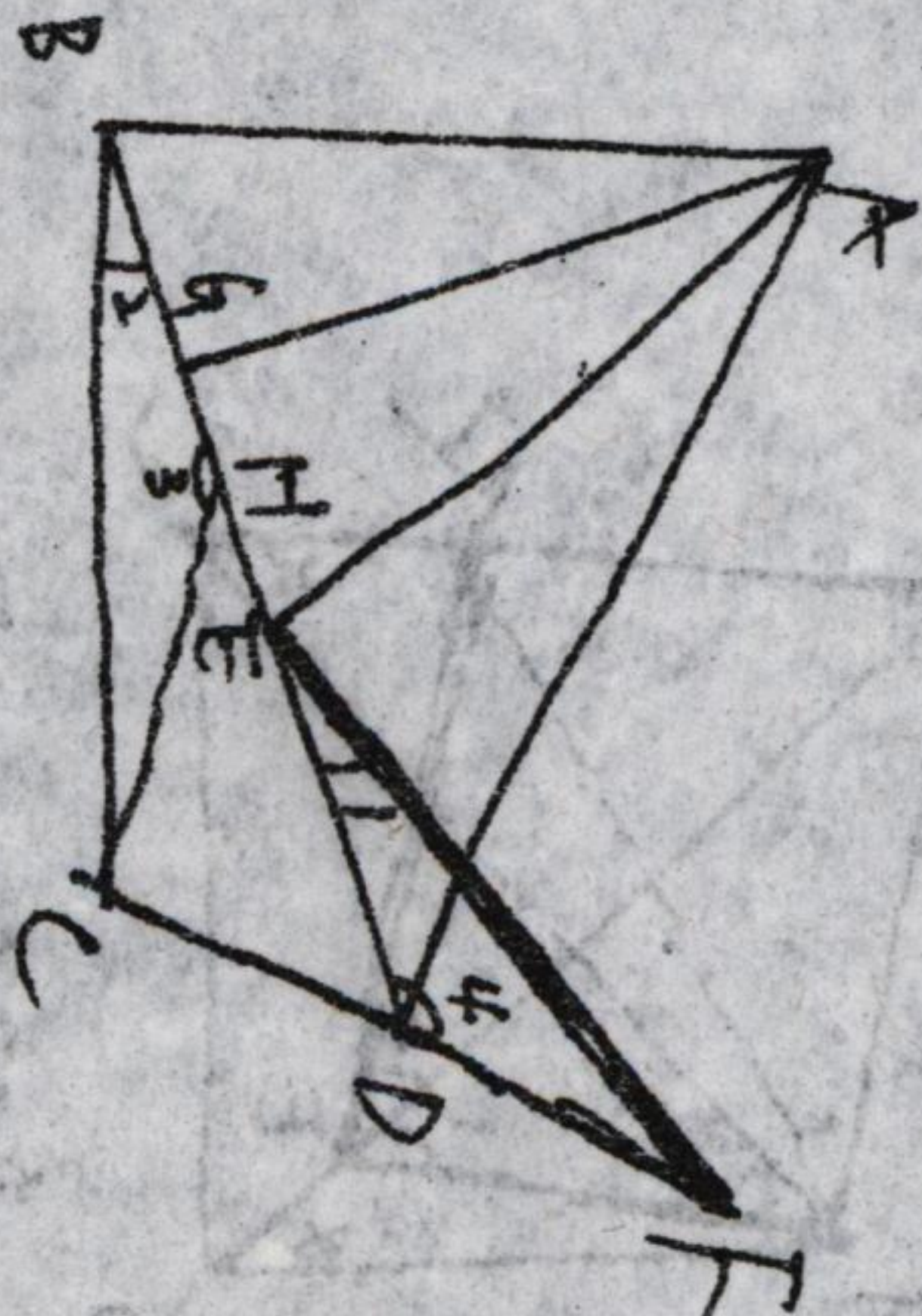


(12)



法一: ① 截长

在BD上截取BH=ED

可证: $\angle 1 = \angle 2$

$\therefore \triangle BHC \cong \triangle EFD$

$\therefore FH = CH$

$\therefore \angle 3 = \angle FDE$

$\therefore \angle CHD = \angle CDH$

$\therefore HC = CD$

$\therefore FD = CD$

法二:



① 过点C作CH//EF交BD于点H

$\therefore \angle 1 = \angle 2$

$\angle 1 = \angle H$ $\angle 2 = \angle H$

$\therefore BC = CH$

又 $BC = EF$

$\therefore EF = CH$

可证 $\triangle EFD \cong \triangle CDH$

$\therefore FD = CD$

② 补短

延长BD至H使BD=EH

连接FH

可证 $\triangle BDC \cong \triangle EFH$

$\therefore FH = CD$

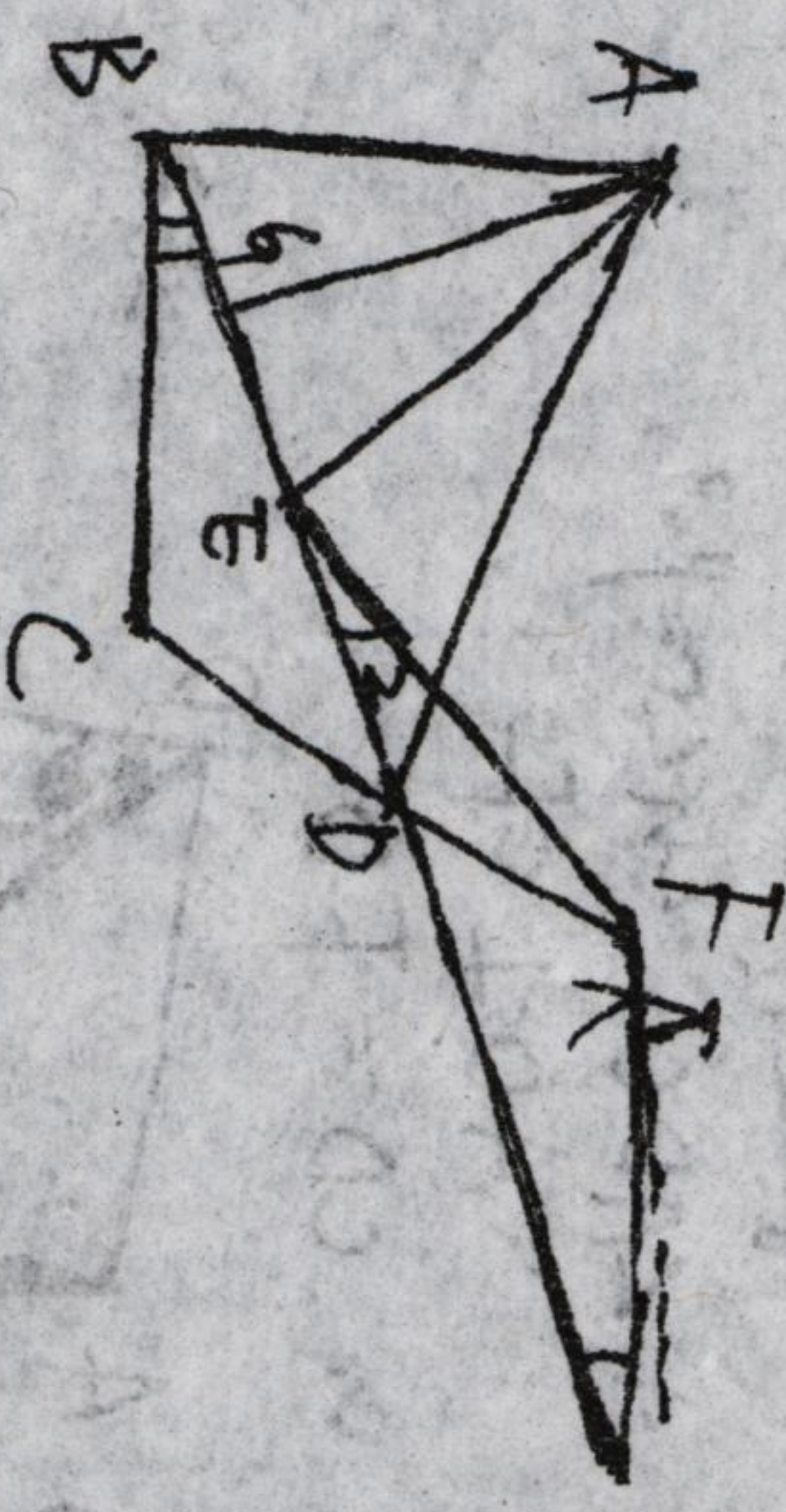
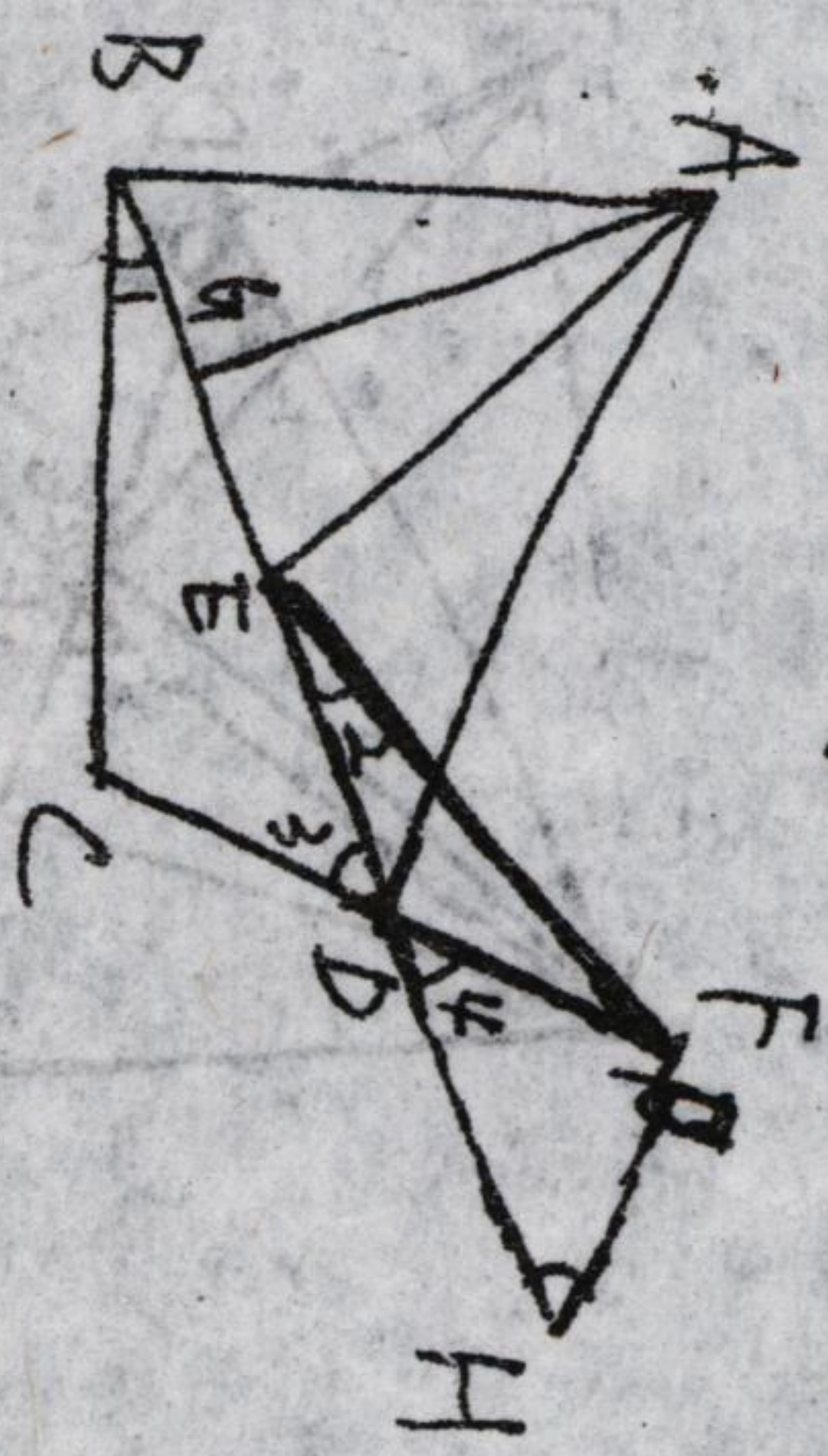
$\angle 3 = \angle H$

$\angle 3 = \angle 4$

$\therefore \angle 4 = \angle H$

$\therefore FH = DF$

$\therefore DF = DC$



② 过点F作FH//BC交BD于点H

$\angle H = \angle 1$

又 $\angle 1 = \angle 2$

$\therefore \angle 2 = \angle H$

$\therefore EF = FH$

又 $EF = BC$

$\therefore FH = BC$

可证 $\triangle BDC \cong \triangle FDH$

$\therefore FD = CD$